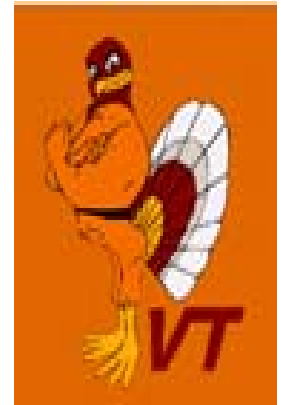


The G^0 Experiment: Backangle Running

Riad Suleiman

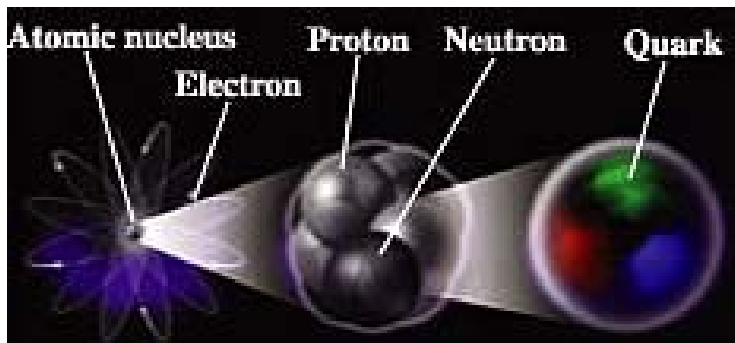
Virginia Tech
November 02, 2006



OUTLINE

- The Structure of the Proton and the Goal of the G^0 Experiment
- Parity Violation in Electron-Nucleon Interaction
- The G^0 Experiment
- The Backangle Running
- Controlling the Helicity-Correlated Beam Properties
- Parity Quality of G^0 Beam
- Results

Inside the Nucleon: The Building Blocks of Matter



Meson: quark + antiquark



Baryon: quark + quark + quark



proton: $u u d$
 neutron: $u d d$ } valence quarks

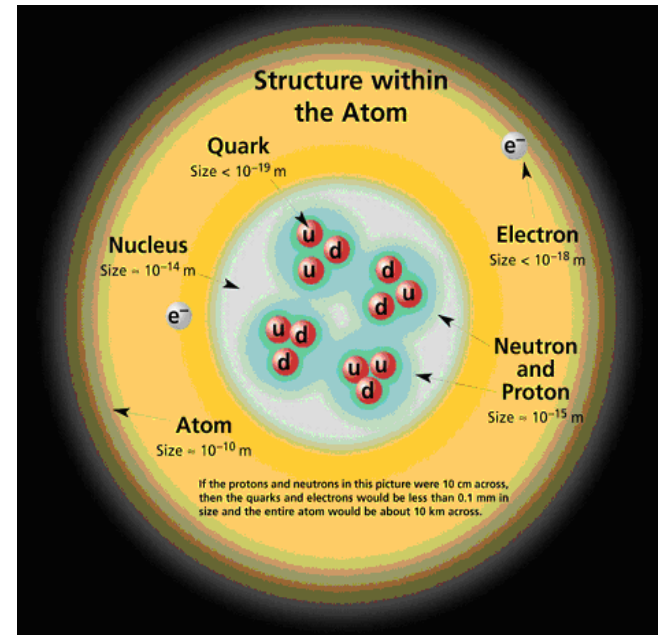
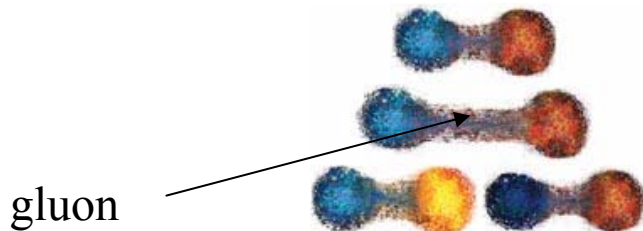
Leptons	Quarks		
	u up	c charm	t top
	d down	s strange	b bottom
	ν_e e- Neutrino	ν_μ μ - Neutrino	ν_τ τ - Neutrino
	e electron	μ muon	τ tau
I II III The Generations of Matter			

Quarks in More Detail

- Mass: range from ~10x electron mass (up quark) to that of a Tungsten atom (top quark) *
- No internal structure ($< 10^{-19}$ m)
- Electric charge:
+2/3 (u,c,t) and -1/3 (d,s,b)

Proton: $\frac{2}{3} + \frac{2}{3} + (-\frac{1}{3}) = +1$

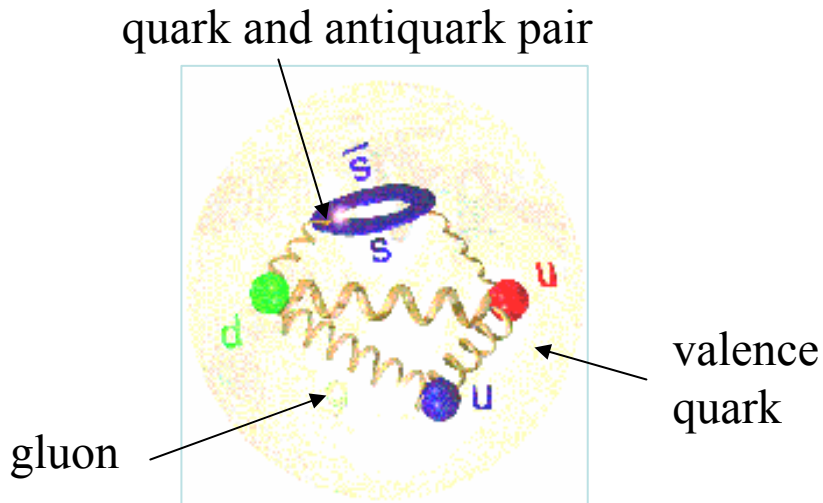
- No free quarks:



Quark	Charge (e)	Mass (MeV/c ²)
Up	+2/3	1.5 – 4
Down	-1/3	4 – 8
Strange	-1/3	80 – 130
Charm	+2/3	1150 – 1350
Bottom	-1/3	4100 – 4400
Top	+2/3	171400 ± 2100

* The mass of an electron is $0.5 \text{ MeV}/c^2 = 9.1 \times 10^{-31} \text{ kg}$

Strange Quarks In Particular



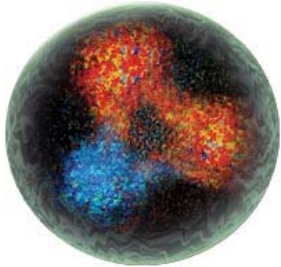
- Sea of quark and antiquark pairs
 - Made up of Up, Down, and Strange quarks
 - Up & Down quarks in sea difficult to distinguish from valence Up and Down quarks
 - Strange quark provides a unique window



The Goal of the G^0 Experiment

To determine the contribution of the **strange quark** to the **electric** and **magnetic** properties of the proton and neutron.

Quarks move around so the proton has a charge distributed over its size.



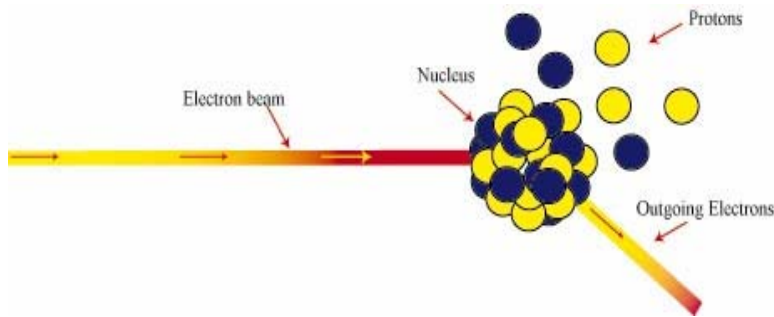
Moving charges $\rightarrow$ electric current $\rightarrow$ magnetic field



Quarks and gluons both have spin, leading to a magnetic moment and magnetization distribution.

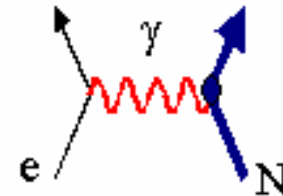
- **Form Factors:** The most fundamental dynamical quantity for describing the inner properties of a composite particle.
 - Electric (G_E): provides detailed information about the spatial distribution of **charges** in the particle.
 - Magnetic (G_M): “ “ “ **magnetization** in the particle.
 - Axial (G_A): “ “ “ **spin** in the particle.

Electron and Nucleon Interactions

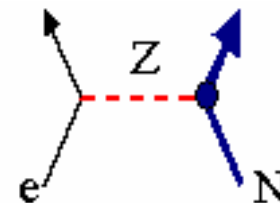


- Why an electron probe?
 - No internal structure
 - Electromagnetic interaction well understood
 - Electrons penetrate deep inside a nucleus

- Electromagnetic Force (binds electrons to nuclei)
 - Carrier particle: photon
 - **Parity-conserving**



- Weak Force (radioactive decay)
 - Carrier particles: W^+ , W^- and Z bosons (particles with integer spin)
 - Z^0 interaction is **parity-violating**



What is Parity-Violation?

Parity-conservation: strength of particle interaction is same for mirror image



Sun on
right



Sun on
left

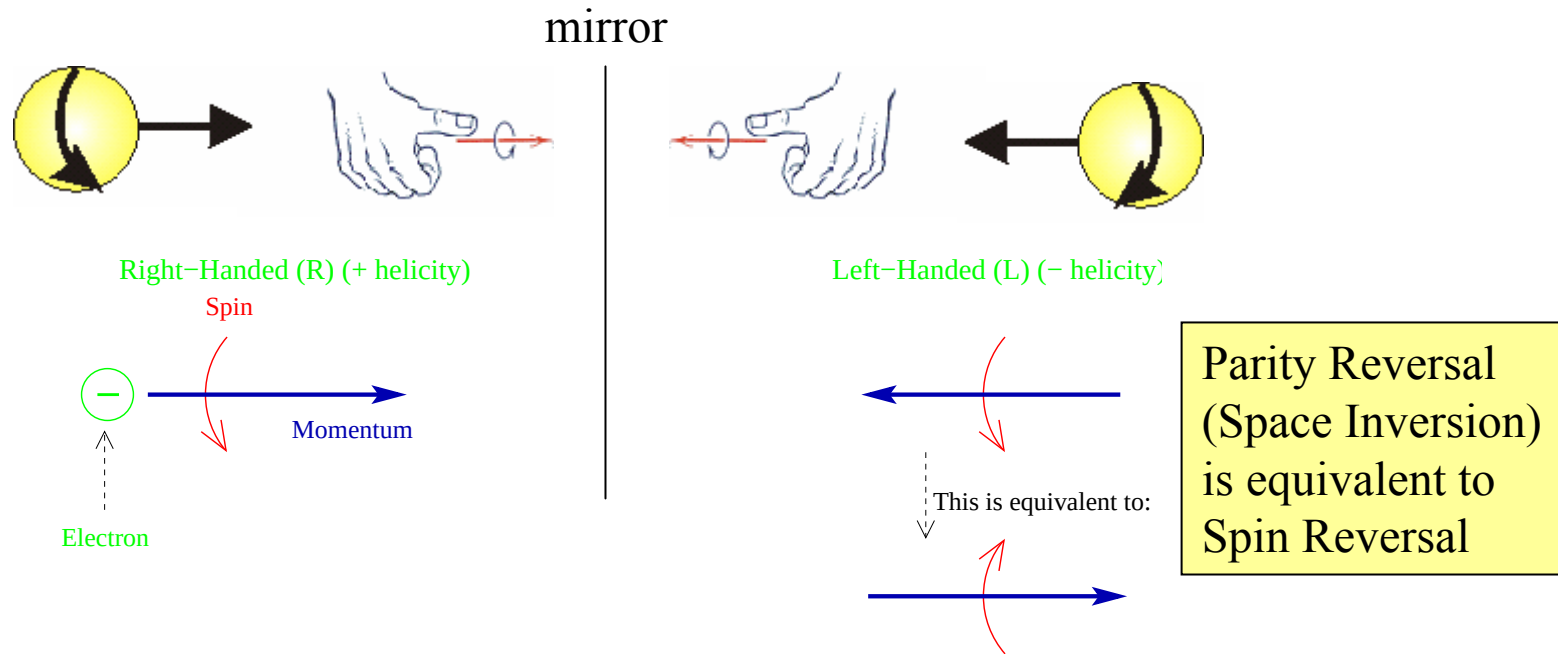
Sun exerts the **same**
pull on the earth.

Parity-violation: strength of particle interaction is different for mirror image



The bean family twine to form a
right-handed spiral. Left-handed
spirals do not exist.

Parity Violation



Electromagnetic force is parity-conserving.
Electrons' helicity **will not** affect the number of electrons scattered.

Weak force is parity-violating.
Electrons' helicity **will** affect the number of electrons scattered.

A_{meas}

The relative difference in these counting rates tells us how big the weak interaction piece is.

Electron and Proton Interactions Revisited

Amplitude of electron-proton interaction

$$M = M^\gamma + M^Z$$

Probability:

$$|M|^2 = |M_\gamma|^2 + 2 \operatorname{Re} \left[(M_\gamma)^* (M_z) \right] + |M_z|^2$$

Cross sections:

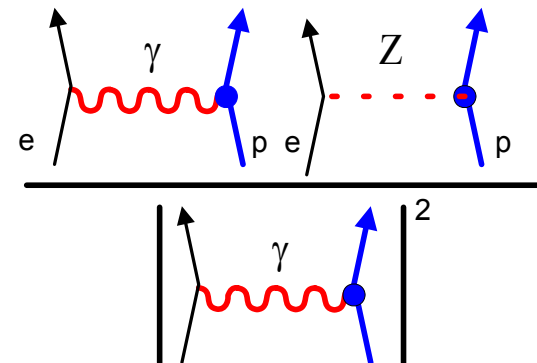


$$\sigma_R \propto |M_\gamma + M_z|_R^2$$

$$\sigma_L \propto |M_\gamma + M_z|_L^2$$

Asymmetry:

$$A = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = \frac{|M_\gamma + M_z|_R^2 - |M_\gamma + M_z|_L^2}{|M_\gamma + M_z|_R^2 + |M_\gamma + M_z|_L^2} = 2 \frac{M_\gamma^* M_z}{|M_\gamma|^2}$$



Parity-Violating Electron Scattering

$$A = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = \left[\frac{-G_F Q^2}{4\pi\alpha\sqrt{2}} \right] \frac{A_E + A_M + A_A}{2\sigma_u}$$

1 equation
3 unknowns

$$\begin{aligned} A_E &= \varepsilon(\theta) G_E^Z(Q^2) G_E^\gamma(Q^2) \\ A_M &= \tau(Q^2) G_M^Z(Q^2) G_M^\gamma(Q^2) \\ A_A &= -(1 - 4\sin^2 \theta_W) \varepsilon' G_A^e(Q^2) G_M^\gamma(Q^2) \\ 2\sigma_u &= \varepsilon (G_E^\gamma)^2 + \tau (G_M^\gamma)^2 \end{aligned}$$

Requires 3 measurements at a given Q^2 :
Forward angle e + p (elastic)
Backward angle e + p (elastic)
Backward angle e + d (quasi-elastic)

Probes same hadronic flavor structure, with different couplings:

$$G_{E/M}^\gamma = \frac{2}{3} G_{E/M}^u - \frac{1}{3} G_{E/M}^d - \frac{1}{3} G_{E/M}^s$$

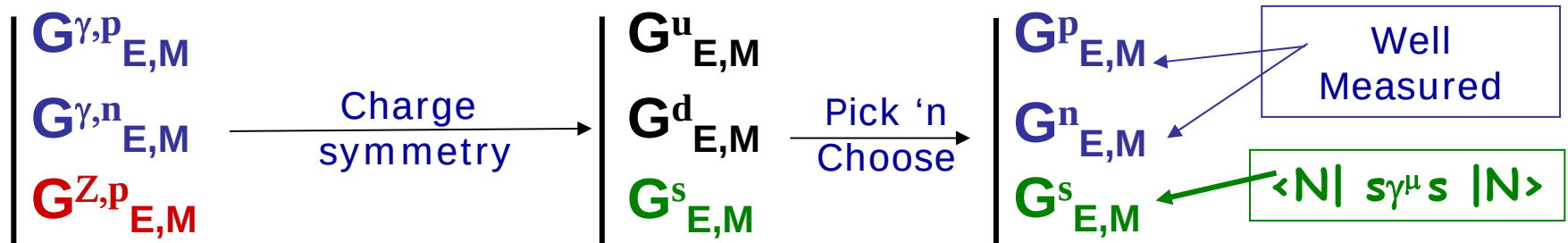
$$G_{E/M}^Z = \left(1 - \frac{8}{3} \sin^2 \theta_W\right) G_{E/M}^u - \left(1 - \frac{4}{3} \sin^2 \theta_W\right) G_{E/M}^d - \left(1 - \frac{4}{3} \sin^2 \theta_W\right) G_{E/M}^s$$

Strange Quark Form Factors

Neglecting trivial breaking due to Coulomb force, one expects the neutron to be an isospin rotation of the proton:

$$G_{E/M}^{p,u} = G_{E/M}^{n,d}, \quad G_{E/M}^{p,d} = G_{E/M}^{n,u}, \quad G_{E/M}^{p,s} = G_{E/M}^{n,s}$$

$$G_{E/M}^{\gamma,p} = \frac{2}{3} G_{E/M}^u - \frac{1}{3} G_{E/M}^d - \frac{1}{3} G_{E/M}^s \longrightarrow G_{E/M}^{\gamma,n} = \frac{2}{3} G_{E/M}^d - \frac{1}{3} G_{E/M}^u - \frac{1}{3} G_{E/M}^s$$



$$A = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = A_0 + \eta_E G_E^s + \eta_M G_M^s + \eta_A G_A^{eN}$$

“Rosenbluth” type of Separation

$$A = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = A_0 + \eta_E G_E^s + \eta_M G_M^s + \eta_A G_A^{eN}$$

Vary both the targets (LH₂, LD₂, ⁴He) and the kinematics

World data at Q² ~ 0.1 (GeV/c)²

Exp	Target	E _{beam} (GeV)	Θ _e (deg)	A ₀ (ppm)	η _E (ppm)	η _M (ppm)	η _A (ppm)
SAMPLE	LD ₂	0.2	150	-7	1.6	0.8	1.8
SAMPLE	LH ₂	0.2	150	-6	2.1	3.5	1.6
HAPPEX	⁴ He	3	6	7	20.0	0	0
PVA4	LH ₂	0.6	35	-2	10.1	1.0	0.3
G ⁰	LH ₂	3	6	-2	12.0	1.2	0.1

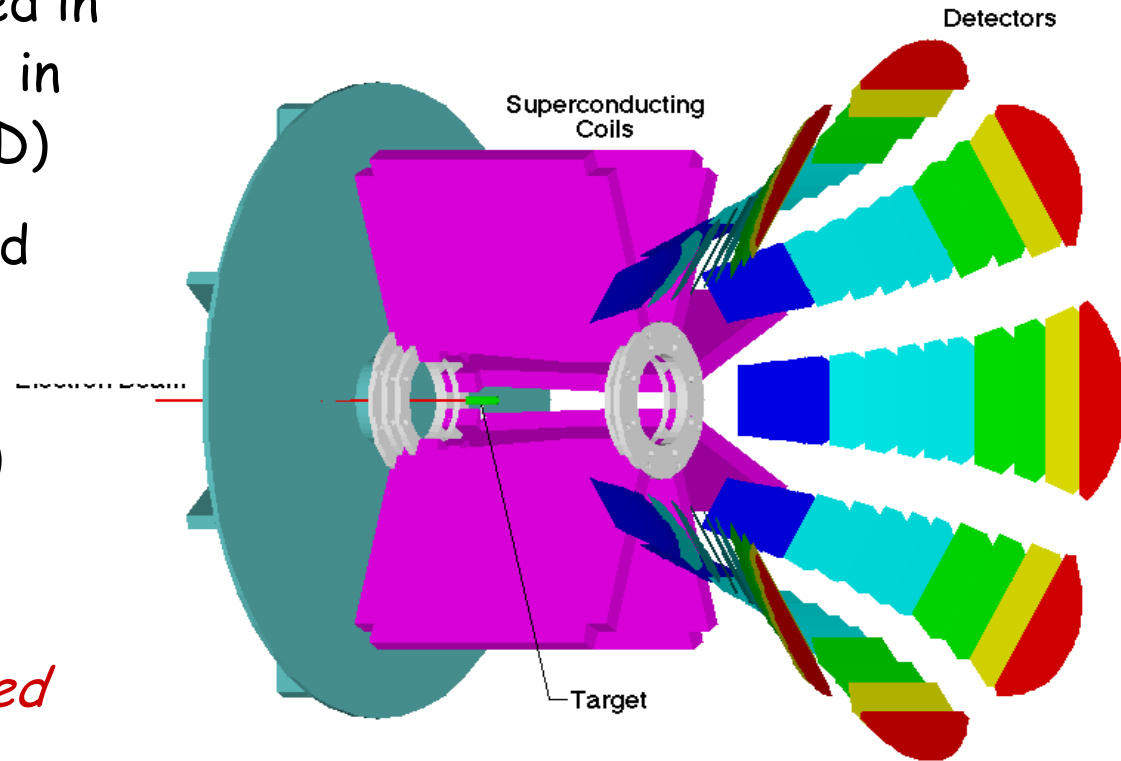
The G^0 Experiment

- Forward and backward angle parity-violating e-p elastic and e-d (quasi-elastic) in JLab Hall C

G_E^s , G_M^s and G_A^e separated
over range $Q^2 \sim 0.1 - 1.0 \text{ (GeV/c)}^2$

- Superconducting toroidal magnet
- Scattered particles detected in segmented scintillator arrays in spectrometer focal plane (FPD)
- Custom electronics count and process scattered particles (proton at forward angle and electrons at backward angle)

G0 Experiment



- *Forward angle run completed*
- *Backward angle → March 06 - February 07*

What does G^0 mean?

When this experiment was proposed 12 years ago, people were interested in this combination of form factors, so it was named G^0

Charge (magnetization) form factor of the proton associated with Z^0 interaction

$$G_{E/M}^{0,p} = 4 \left[\left(\frac{1}{2} - \sin^2 \theta_W \right) G_{E/M}^{p,\gamma} - G_{E/M}^{p,Z} \right]$$

Charge (magnetization) form factor of the proton associated with γ exchange

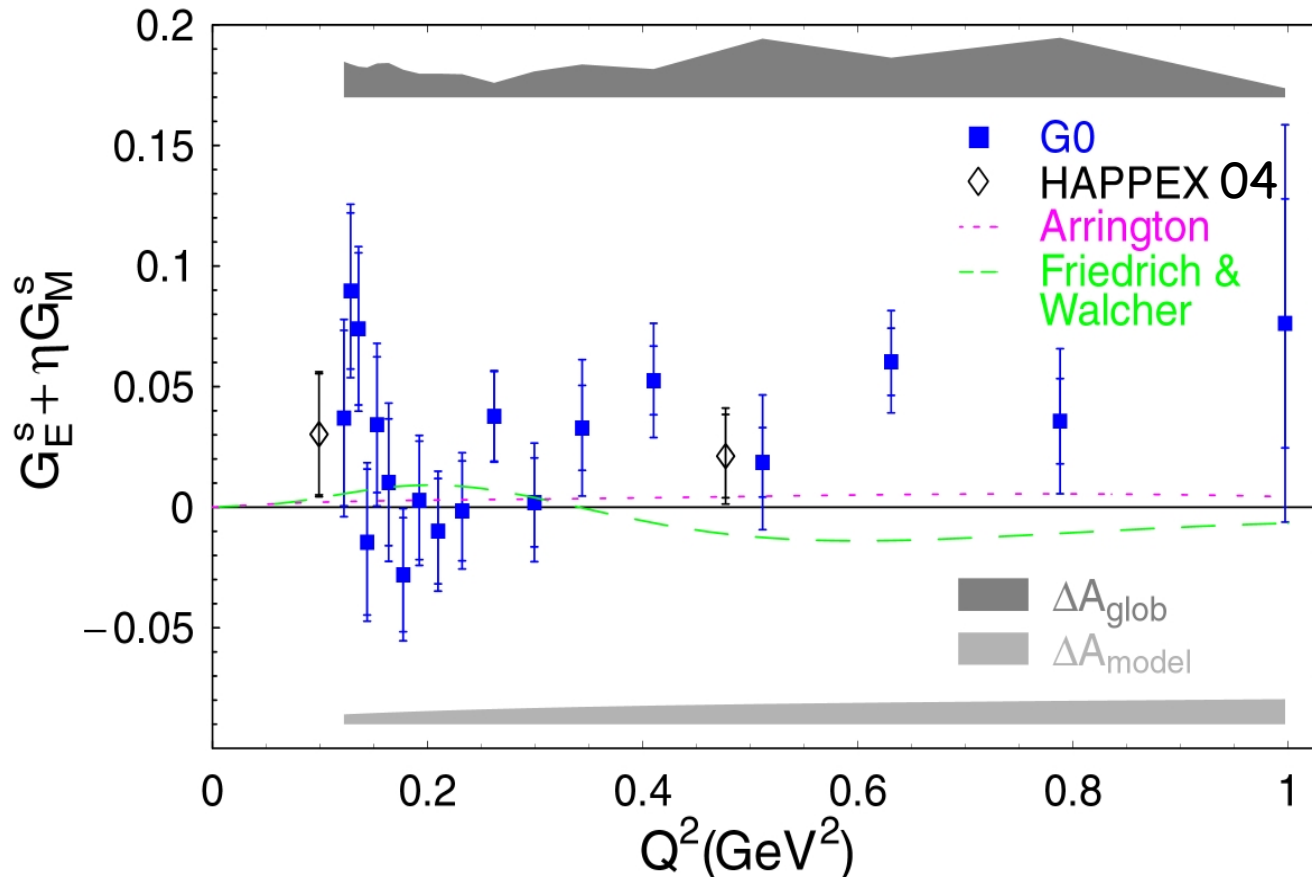
G^0 Forward Angle Results

$$G_E^s + \eta G_M^s = \frac{4\pi\alpha\sqrt{2}}{G_F Q^2} \frac{\varepsilon G_E^{p^2} + \tau G_M^{p^2}}{\varepsilon G_E^p (1 + R_V^{(0)})} (A_{phys} - A_{NVS})$$

- Use the anapole contribution computed
Zhu et al.

Examining full data set,
probability that

$G_E^s + \eta G_M^s \neq 0$
is **89%**



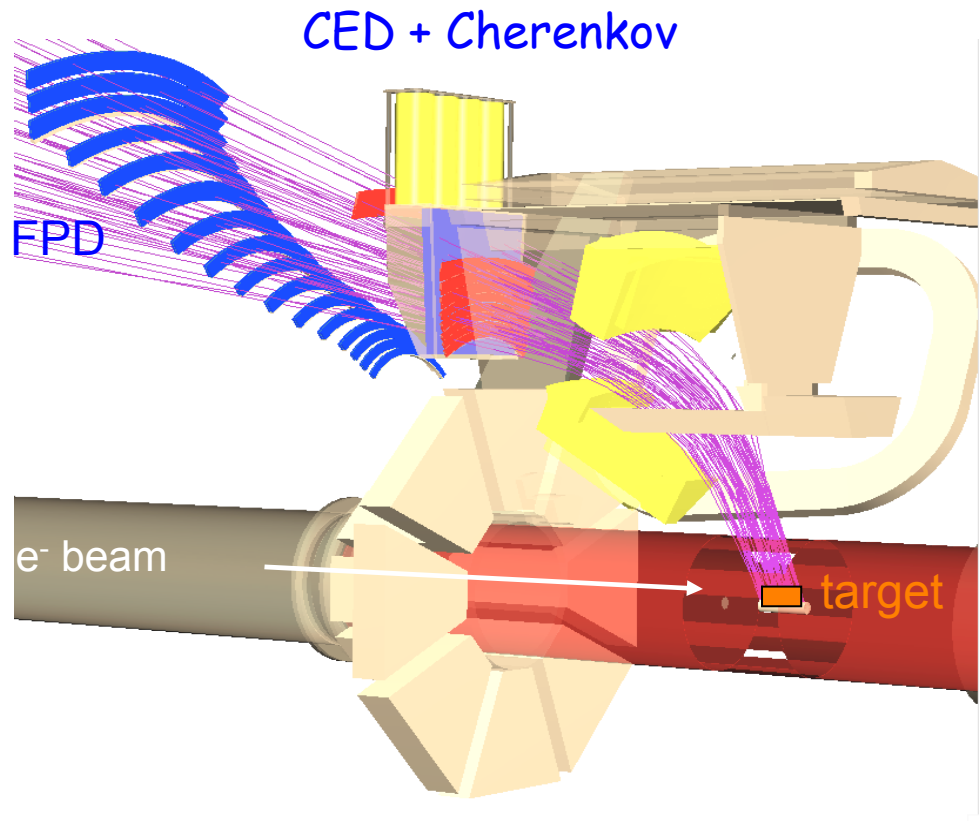
D.S. Armstrong et al,
PRL 95 (2005) 092001

G^0 Backward Angle

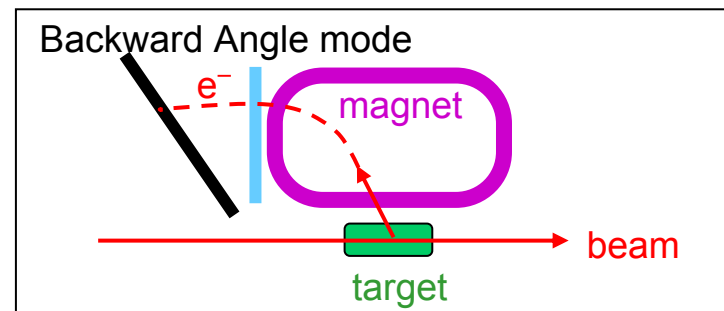
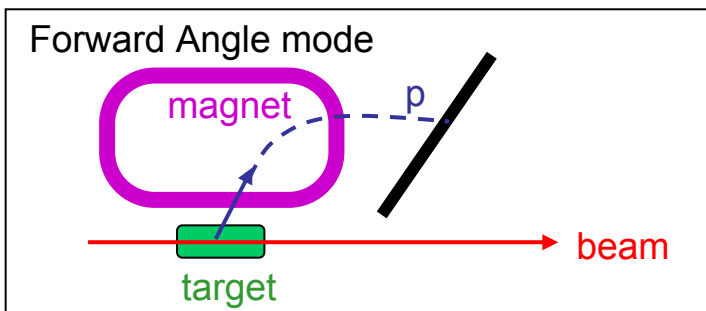
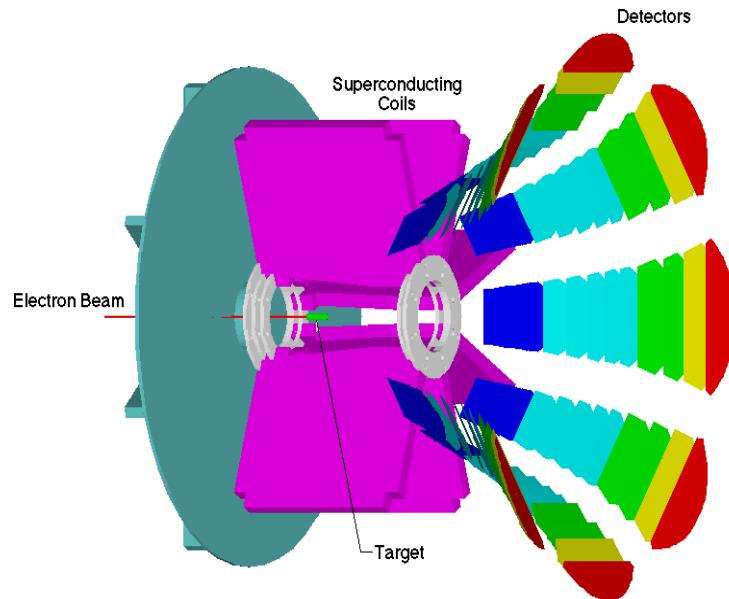
- Electron detection: $\theta = 108^\circ$
- Both LH_2 and LD_2 targets
- Add Cryostat Exit Detectors (CED) to define electron trajectory
- Aerogel Cherenkov detector for π/e separation ($p_\pi < 380 \text{ MeV}/c$)

$E_e \text{ (MeV)}$	$Q^2 \text{ (GeV}/c)^2$
362	0.23
686	0.62

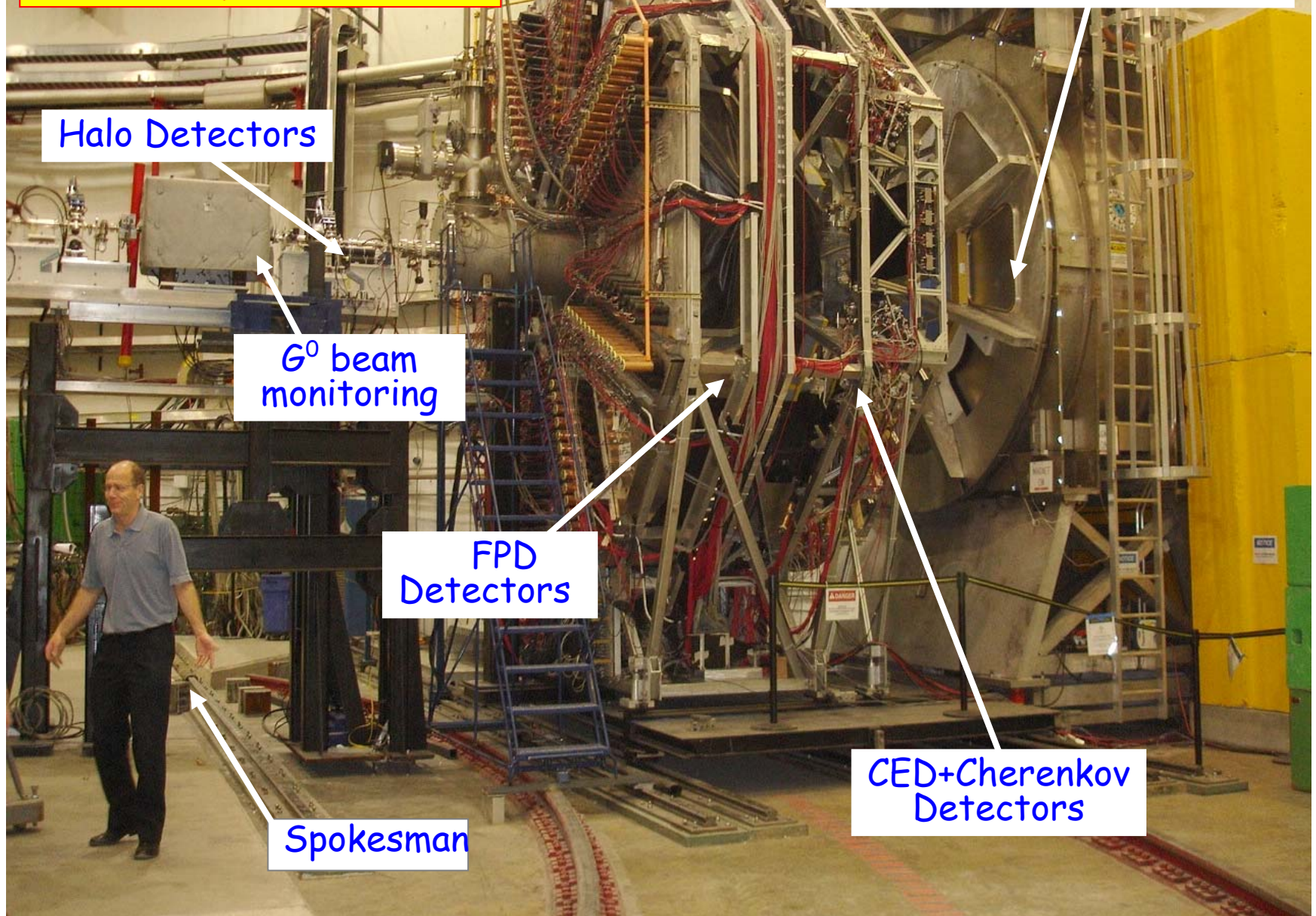
Common Q^2 with
HAPPEX-III and PVA4
(both at forward angles)



Experiment Schematic



G^0 in Hall C : The key elements



G⁰ Backangle Run

- March 15 – May 1 (687 MeV):
 - 200 hours LH₂, 50 hours LD₂ (at 10 μ A)
 - 80 hours “parity quality” data w/ LH₂ at 60 μ A
- May 15 – May 18 (362 MeV):
 - first look at LD₂ at low beam current

High singles rates in the Cherenkov Detector PM tubes from neutrons. Change borosilicate window PM tubes to quartz window PM tubes.

- outstanding beam delivery
- July 19 – Sept 1 (362 MeV): Production data w/ LH₂ at 60 μ A
- Sept 22 – Nov 1 (687 MeV): Production data w/ LH₂ at 60 μ A
- Nov 1 – Dec 22 (687 MeV): Production data w/ LD₂ at 60 μ A
- Jan 5 – Feb 18 (362 MeV): Production data w/ LD₂ at 60 μ A

Great Beam at very low energy, THANKS!

Basic Principles of Parity-Violation Experiments

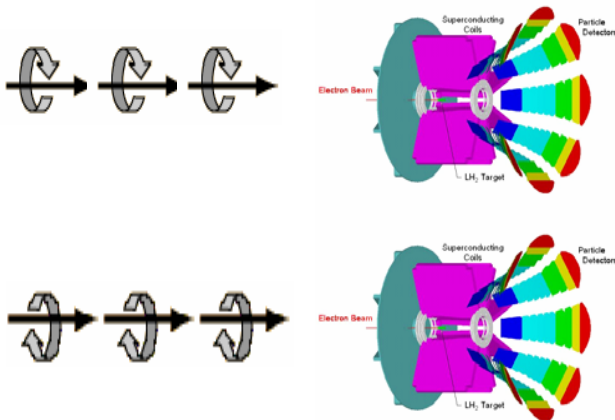
- How do we carry out parity-violation experiment?
 - We scatter **longitudinally polarized electrons** off **unpolarized protons** within a hydrogen target
 - We reverse the helicity of the electron beam and measure the relative difference in detected signal:

$$A_{meas} = \frac{Y_{meas}^+ - Y_{meas}^-}{Y_{meas}^+ + Y_{meas}^-}$$

$$Y_{meas} = \frac{r}{Q}$$

← measured rate

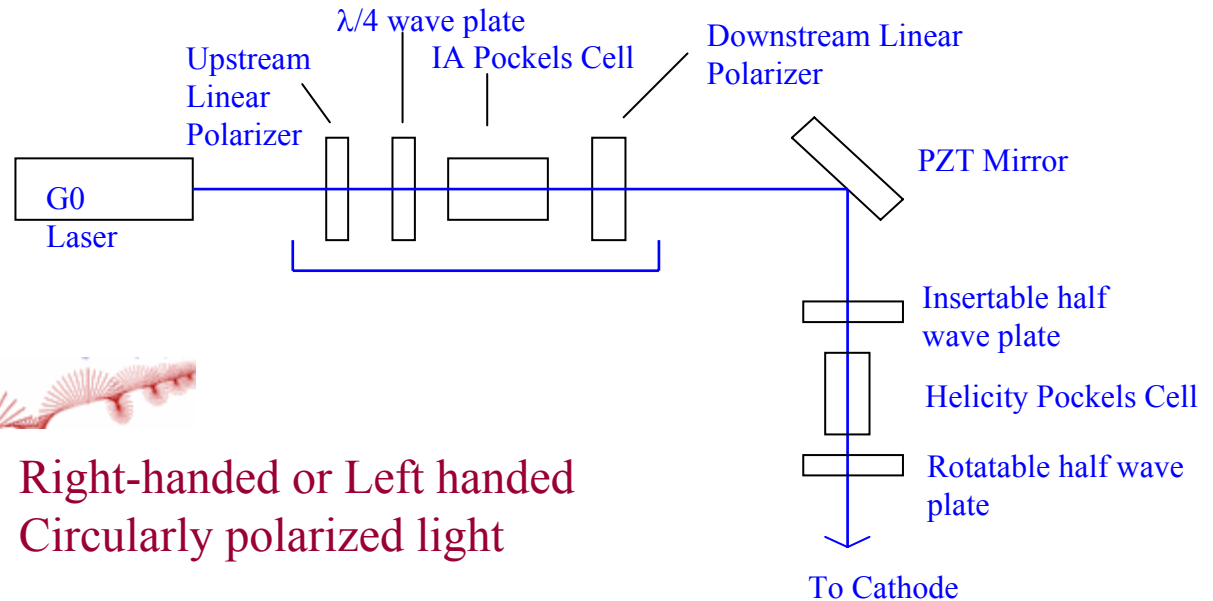
← beam charge



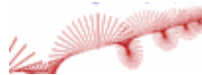
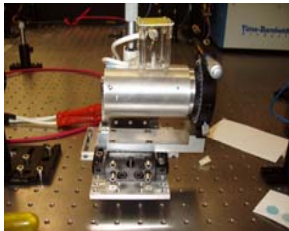
- Here's the catch:
 - The experimental asymmetry is very small (1-50 ppm). *
 - The challenge is controlling the false asymmetries.

* Four drops of ink in a 55-gallon barrel of water would produce an "ink concentration" of 1 ppm.

The Polarized Electron Source



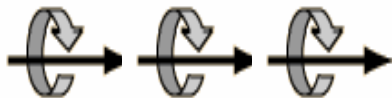
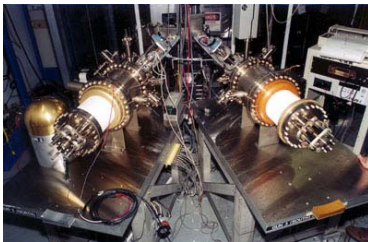
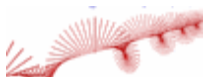
Linearly polarized light



Right-handed or Left handed Circularly polarized light

Q: How do you reverse the helicity of the electron beam?
A: By reversing the **Pockels Cell (PC)** voltage

Helicity Reversal



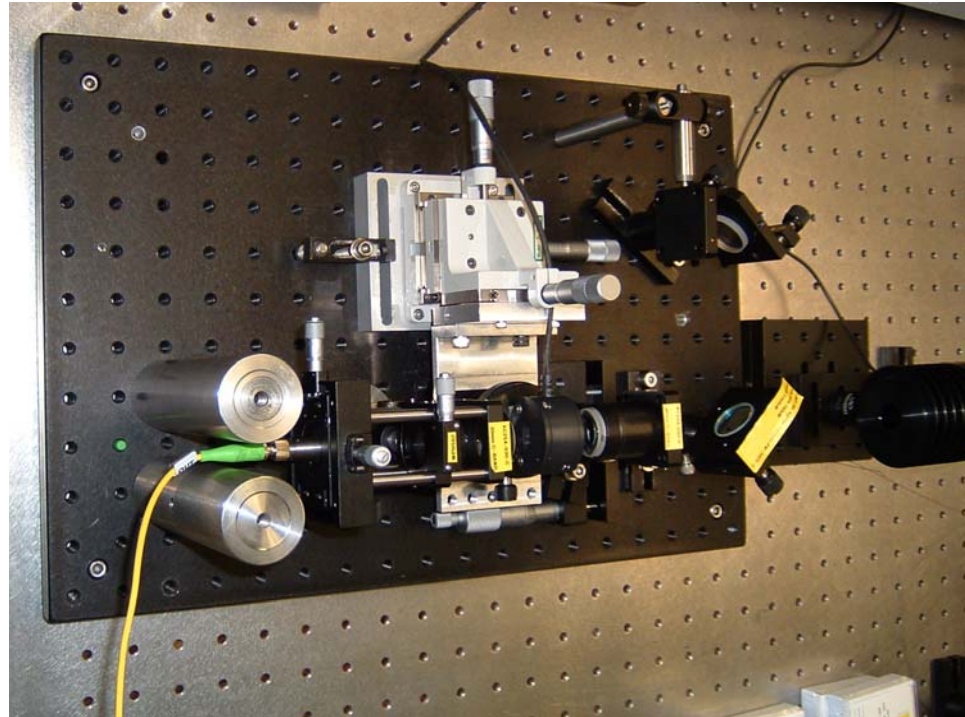
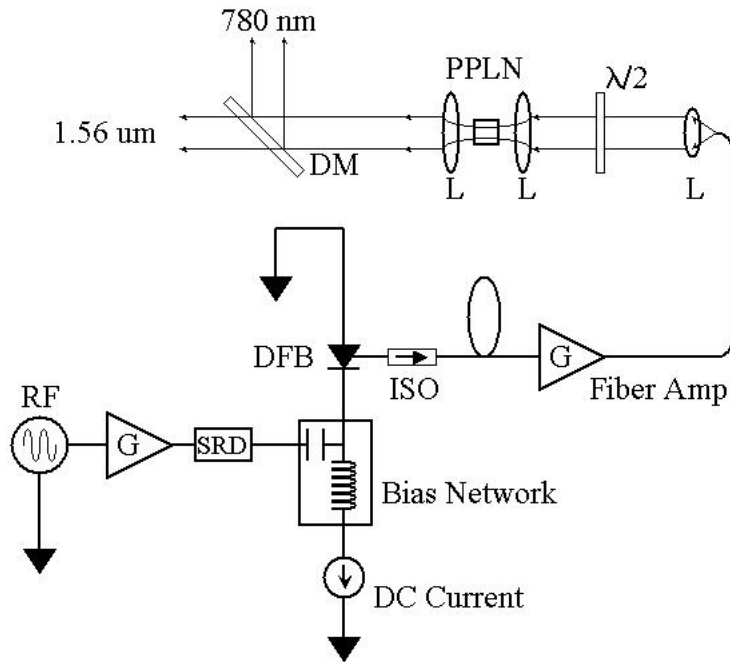
Right-handed electron

OR



Left-handed electron

New Fiber-Based Laser



- Uses 1560 nm seed laser and amplifier commonly used in the telecommunications industry
- Electrical gain-switching avoids phase lock problems experienced with earlier optically mode locked systems
- Second harmonic generation device yields some 780 nm light from the 1560 nm light
- 780 nm is at polarization peak ($P \sim 85\%$) for super-lattice GaAs

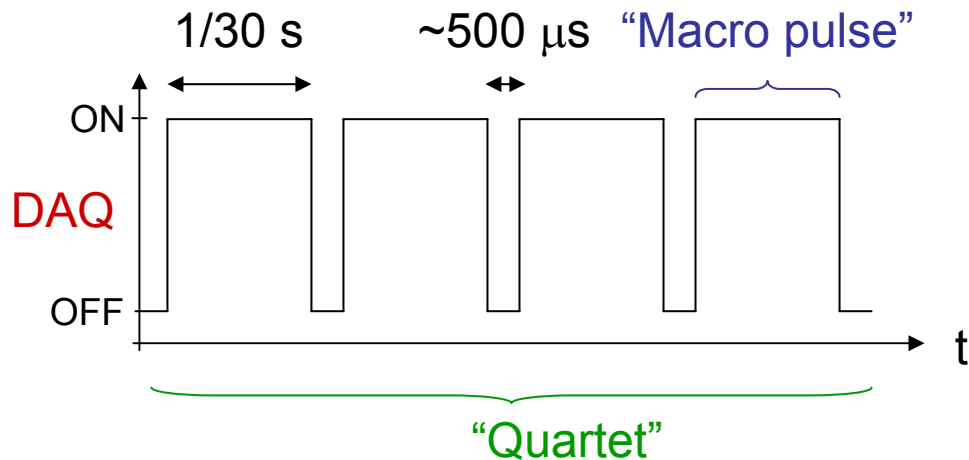
Helicity Pattern



Frequency of PC helicity flip is 30 Hz
 $1 \text{ mps} = 33.33 \text{ ms}$

$$2 * (1/60 \text{ Hz}) = 33.33 \text{ ms}$$

700 hours / 33.33 ms $\sim$ 75,000,000 times



DAQ OFF while PC
is reversing HV

G0 Helicity: + - - + or - + + - (random)

Happex Helicity: "Pair"
+ - or - + (random)

The Imperfect World

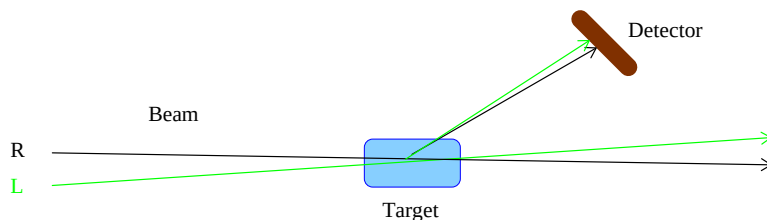
$$A_{meas} = \frac{Y_{meas}^+ - Y_{meas}^-}{Y_{meas}^+ + Y_{meas}^-}$$

If Y^+ or Y^- changes because of anything other than the spin physics of the interaction, it is a **false asymmetries**:

No beam property other than the beam helicity should change when the beam helicity reverses sign.

But beam properties do change:

- Charge
- Position and Angle on target
- Energy



Anything that changes with helicity reversal is said to be

Helicity-correlated

How Do You Define Changes in Beam Charge and Position?

- **Charge asymmetry**: When the average current of the electron beam corresponding to one **helicity** state is different from the other state

$$A_I = \frac{I_+ - I_-}{I_+ + I_-}$$

We measure charge asymmetry of order 1-50 ppm

- **Position difference**: When the average position of the electron beam corresponding to one **helicity** state is different from the other state

$$\begin{aligned}\Delta_x &= x_+ - x_- \\ \Delta_y &= y_+ - y_-\end{aligned}$$

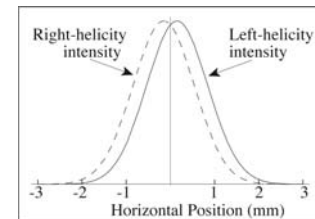
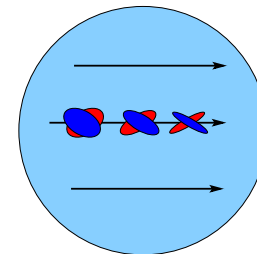
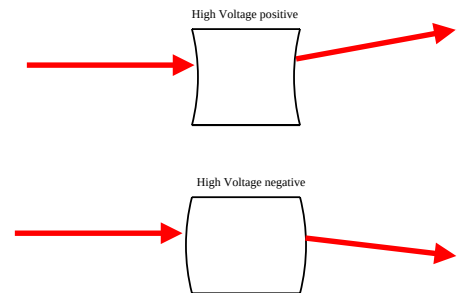
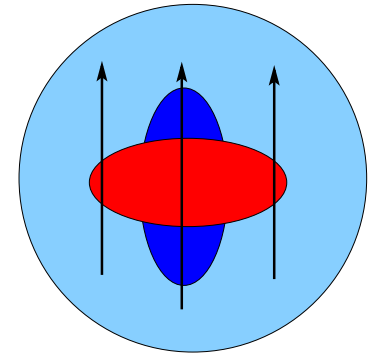
We measure position differences of order 1-40 nm *

* 1 nm is one-billionth of a meter. The width of human hair is 50,000 nanometers.

Where Do Helicity-Correlated Beam Properties Come From?

GaAs Crystal

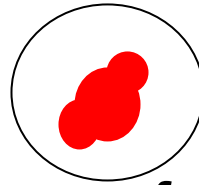
- Residual linear polarization in the laser beam
 - In GaAs crystal, there is a preferred axis
 - QE is higher for light polarized along that axis
 - Induces helicity-correlated **charge asymmetry**
- Steering
 - PC alternately pulsed to + and – high voltages to change from right to left circularly polarized light and vice-versa
 - PC behaves alternately as converging and diverging lens
 - If beam is off-center, it can be steered
 - Induces helicity-correlated **position differences**
- Phase Gradient (Intrinsic birefringence gradient) in the Pockels cell
 - Linear polarization varies across the laser spot
 - Induces helicity-correlated **position differences**
- Beam loading in rf Cavities
 - Induces helicity-correlated **energy difference**



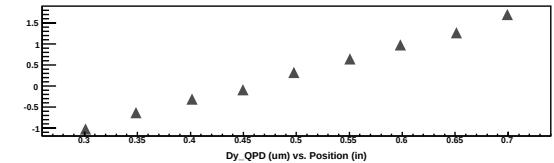
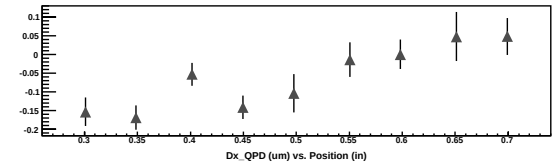
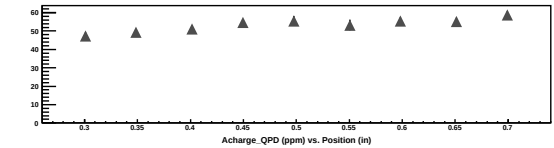
Experimental Techniques to Reduce Helicity-Correlated Beam Properties

1. Careful Setup Procedures for the Pockels Cell:

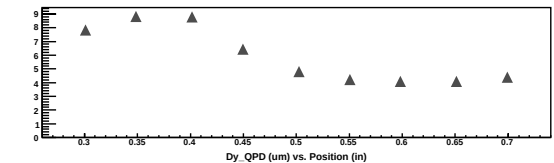
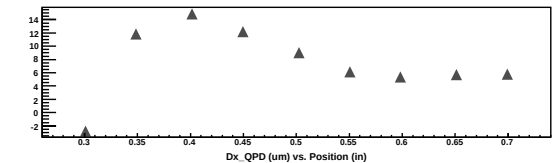
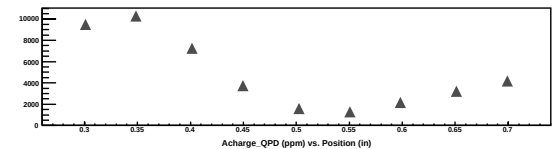
- Check laser spot in front of PC (1mm diameter)
- Align PC to give high degree of circular polarization ($> 99.9\%$)
 - Adjust PC roll, pitch, and yaw
 - Adjust PC high voltages
- Minimize position differences
 - Steering Scan: translate PC in x and y to find the center of the cell
 - Phase Gradient (Birefringence) Scan: translate PC in x and y with Linear Polarizer downstream



PC X Steering Scan, Run 28070

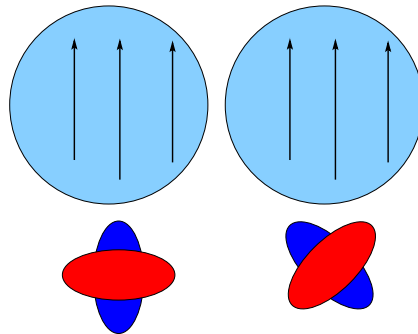


PC X Birefringence Scan, Run 28086



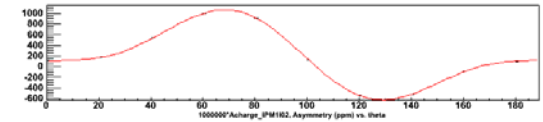
2. More work on the laser table:

- Check for electronic cross talk (PC OFF): must measure 0 for both charge asymmetry and position differences
- Use the rotating half wave plate (RHWP) (rotates the residual linear polarization) to minimize charge asymmetry and position differences

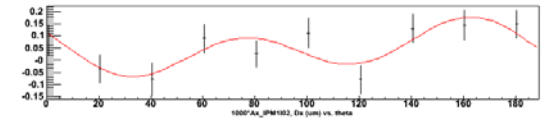


- PC High Voltage (PITA) Scan: Adjust HV to reduce charge asymmetry

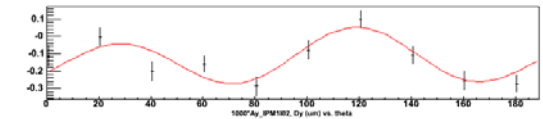
RHWP scan, Run 28126, IHWP IN, IPM1102



$$A_q = 184.86 + -664.69 \sin(2x + 158.77) + 311.90 \sin(4x + 149.27)$$

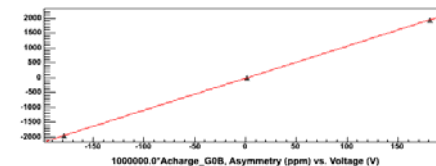


$$D_x = 0.05 + 0.05 \sin(2x + 151.55) + 0.09 \sin(4x + 151.00)$$

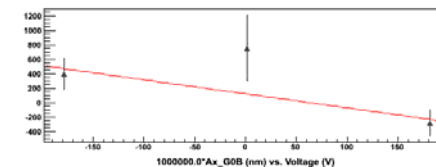


$$D_y = -0.13 + -0.05 \sin(2x + 26.09) + -0.13 \sin(4x + 155.28)$$

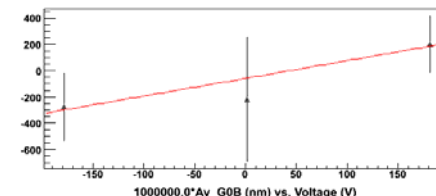
PITA Scan, IHWP=OUT, RHWP angle= 0, Run 30206, G0B



$$A_i = -19.01 + 10.79 * x$$



$$D_x = 121.30 + -1.95 * x$$



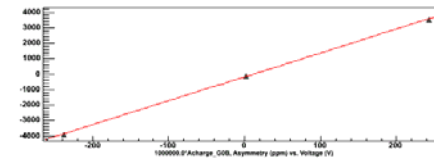
$$D_y = -58.30 + 1.35 * x$$

- Further reduction in charge asymmetry by using the IA (intensity attenuator):

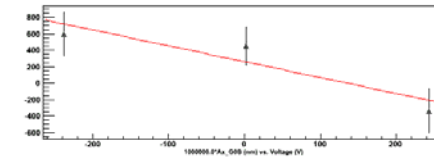
Charge Feedback

- Use the insertable half-wave plate (IHP): reverses the sign of the physics asymmetry.
- Electronic cross talk and PC steering do not change sign thus cancel by using IHP

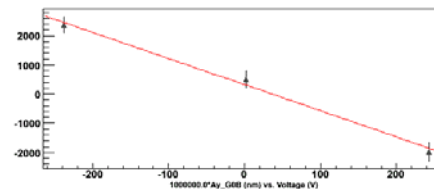
IA Scan, IHP=OUT, RHWP angle= 0, Run 31221, G0B



$$A_i = -176.66 + 15.46 * x$$



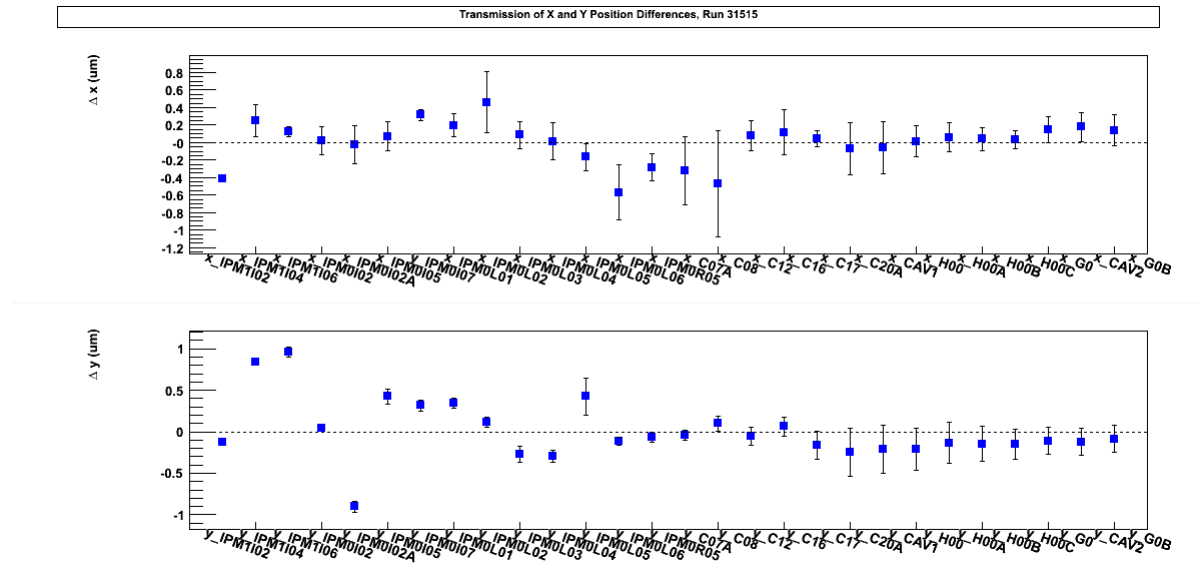
$$D_x = 260.18 + -1.94 * x$$



$$D_y = 323.60 + -8.96 * x$$

3. Taking care of the Electron Beam:

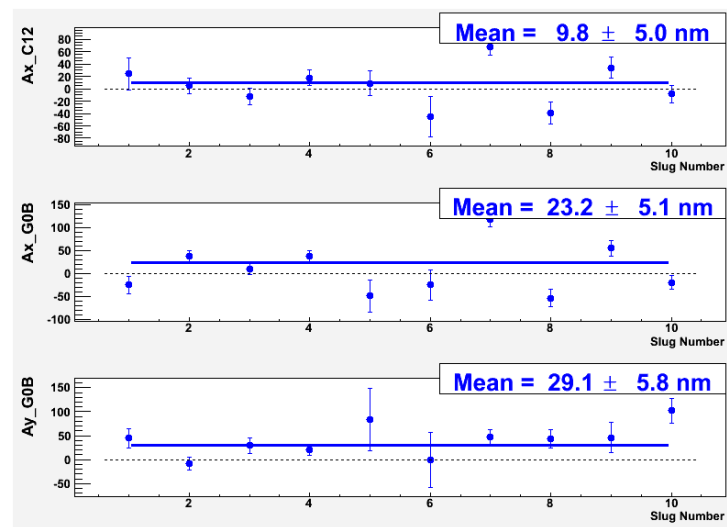
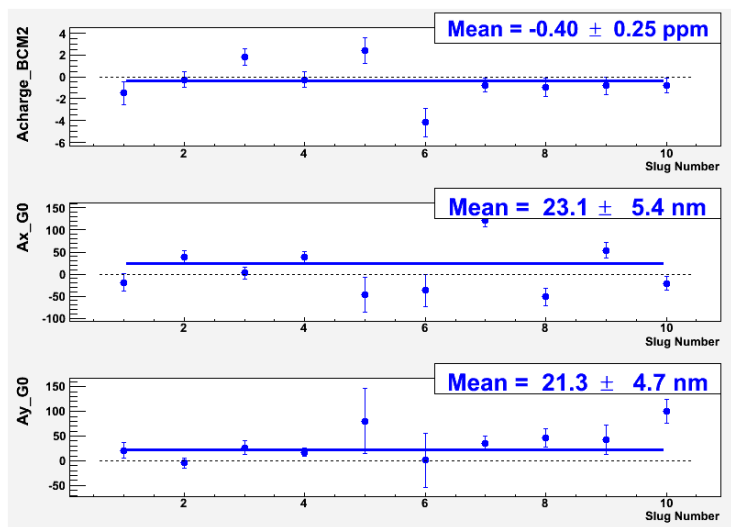
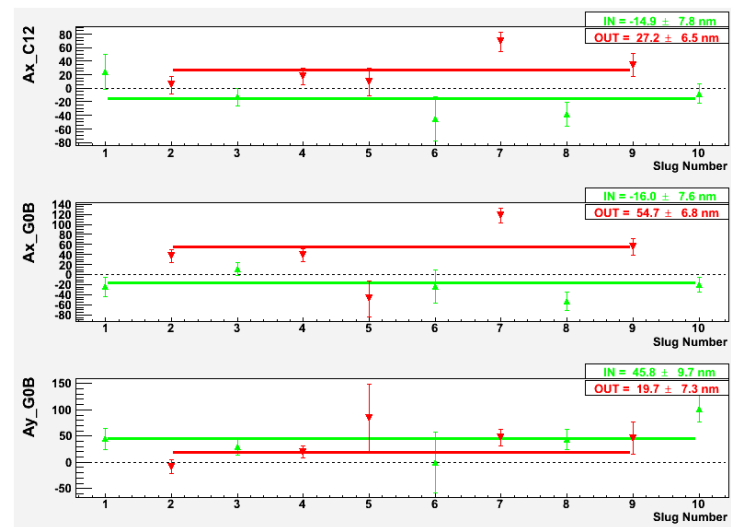
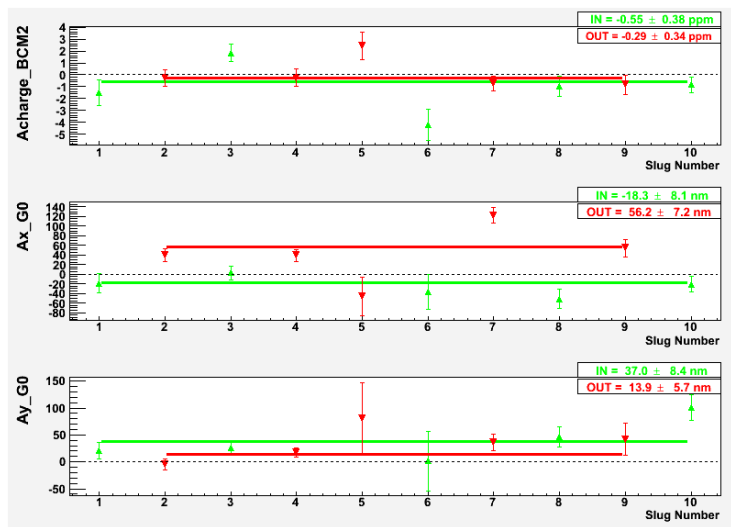
- Use special accelerator techniques to achieve “Adiabatic Damping”



- Use the Helicity Magnets in the 5 MeV region to reduce position differences:
Position Feedback
- Change the beam energy slightly such that the polarization rotation in the machine is different by 180 degrees (not done at JLab yet)

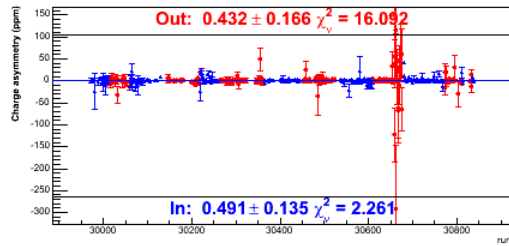
Beam Parity-Quality at 687 MeV

Beam Parameter	Achieved (IN-OUT)	“Specs”
Charge asymmetry	-0.4 ± 0.25 ppm	2 ppm
x position difference	24 ± 5 nm	40 nm
y position difference	20 ± 5 nm	40 nm
x angle difference	-1 ± 2 nrad	4 nrad
y angle difference	-4 ± 2 nrad	4 nrad
Energy difference	2 ± 1 eV	34 eV
Beam halo (outside 6 mm)	$< 0.3 \times 10^{-6}$	10^{-6}

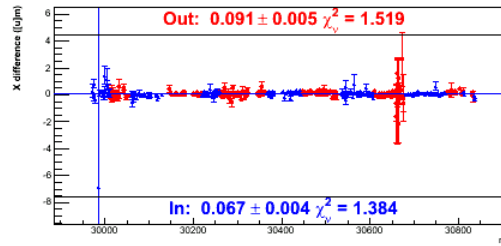


Beam Parity-Quality at 362 MeV

Charge asymmetry (ppm)

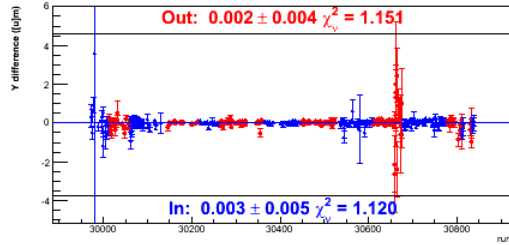


X difference (μm)

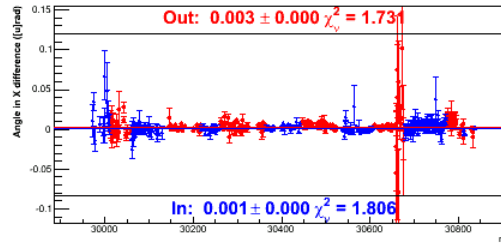


IHWP Cancellation

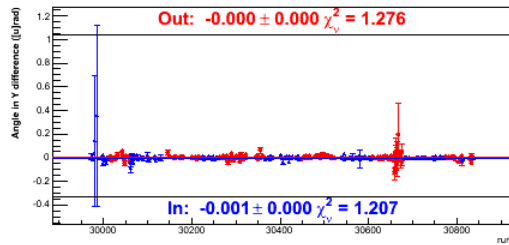
Y difference (μm)



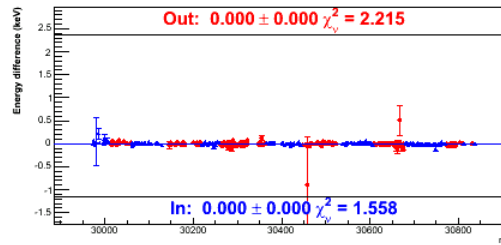
Angle in X difference (μrad)



Angle in Y difference (μrad)

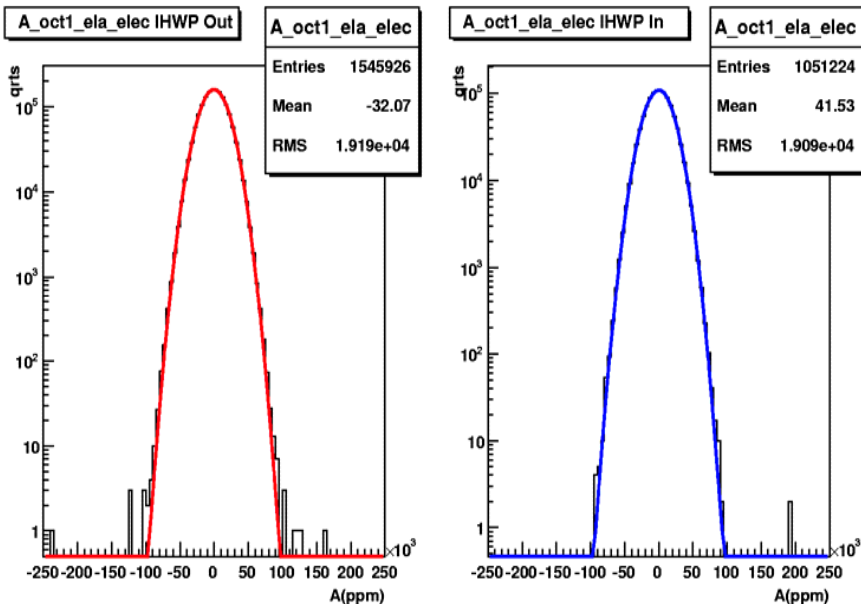


Energy difference (keV)



Beam Param.	Achieved in G^0 (IN-OUT)	Specs
Charge asym.	0.03 ± 0.12 ppm	2 ppm
x position diff.	-12 ± 4 nm	40 nm
y position diff.	1 ± 4 nm	40 nm

Physics Asymmetry : LH₂ at 687 MeV

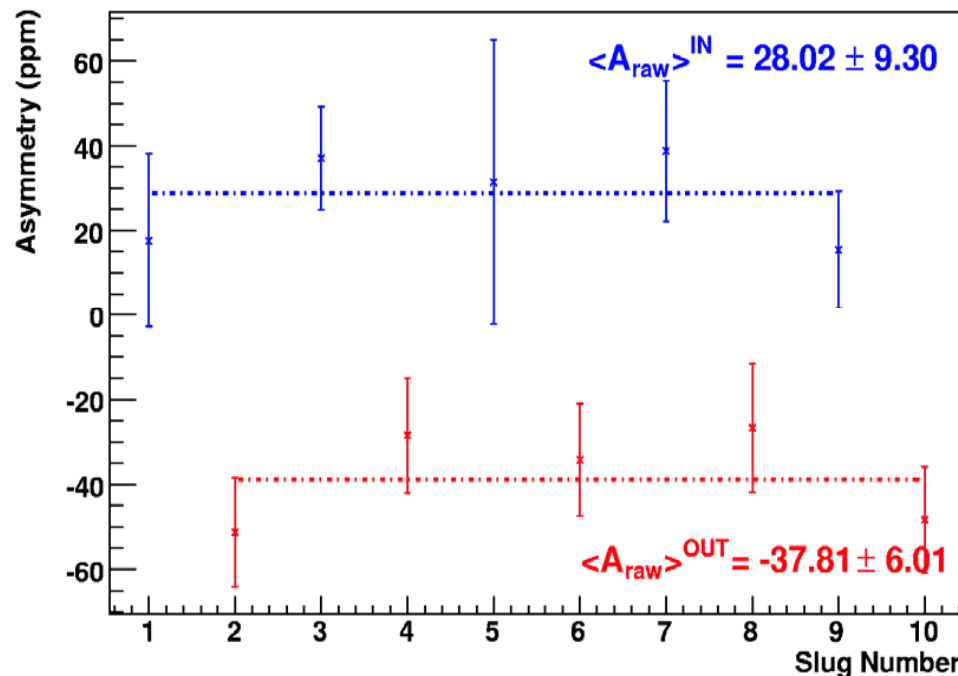


Insertable Half-wave Plate State

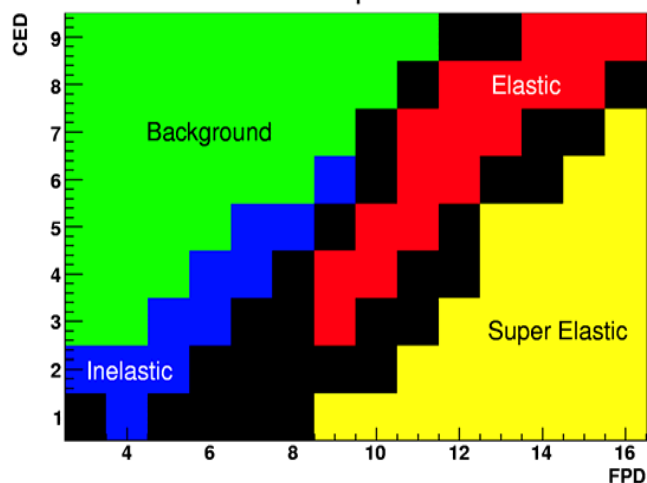
IN OUT

Elastic Electrons

$$\langle A_{\text{raw}} \rangle^{\text{IN}} + \langle A_{\text{raw}} \rangle^{\text{OUT}} = -9.80 \pm 11.08$$

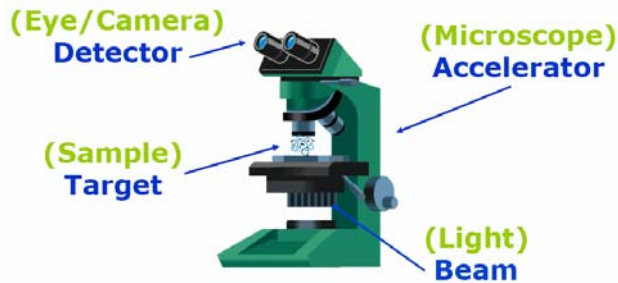


Matrix Space Cuts



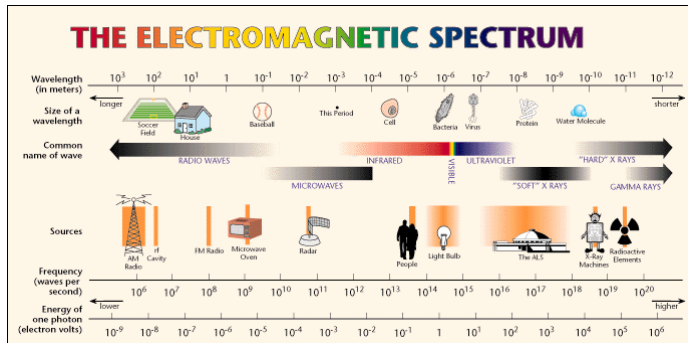
THE END

Looking at Small Dimensions



Wavelength of visible light $\lambda \approx 5 \times 10^{-7} \text{ m}$

	Size (m)	Optical microscope
Living organism	10^{-6}	works
Atom	10^{-10}	does not work
Nucleus	10^{-14}	does not work
proton	10^{-16}	does not work



Conclusion: To look in detail into the interior of atoms and nuclei, a particle is needed whose wavelength is comparable to nuclear dimensions.

$$E = pc = \frac{h}{\lambda} c$$

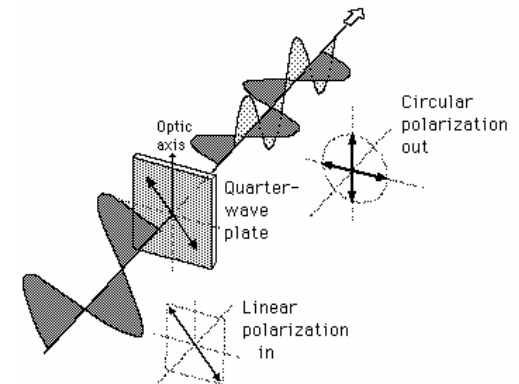
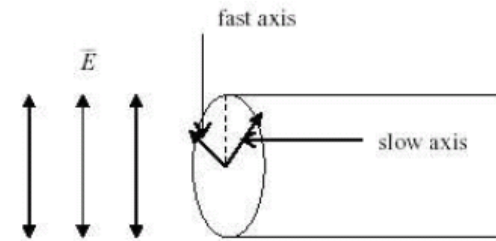
The smallest detail we are able to see when we look is about as small as the size of the wavelength of light we use.

	Energy (eV) *	λ (m)	
Electrons	10,000	10^{-10}	Size of atom
Electrons	100,000,000	10^{-14}	Size of nucleus
Electrons	10,000,000,000	10^{-16}	Size of proton

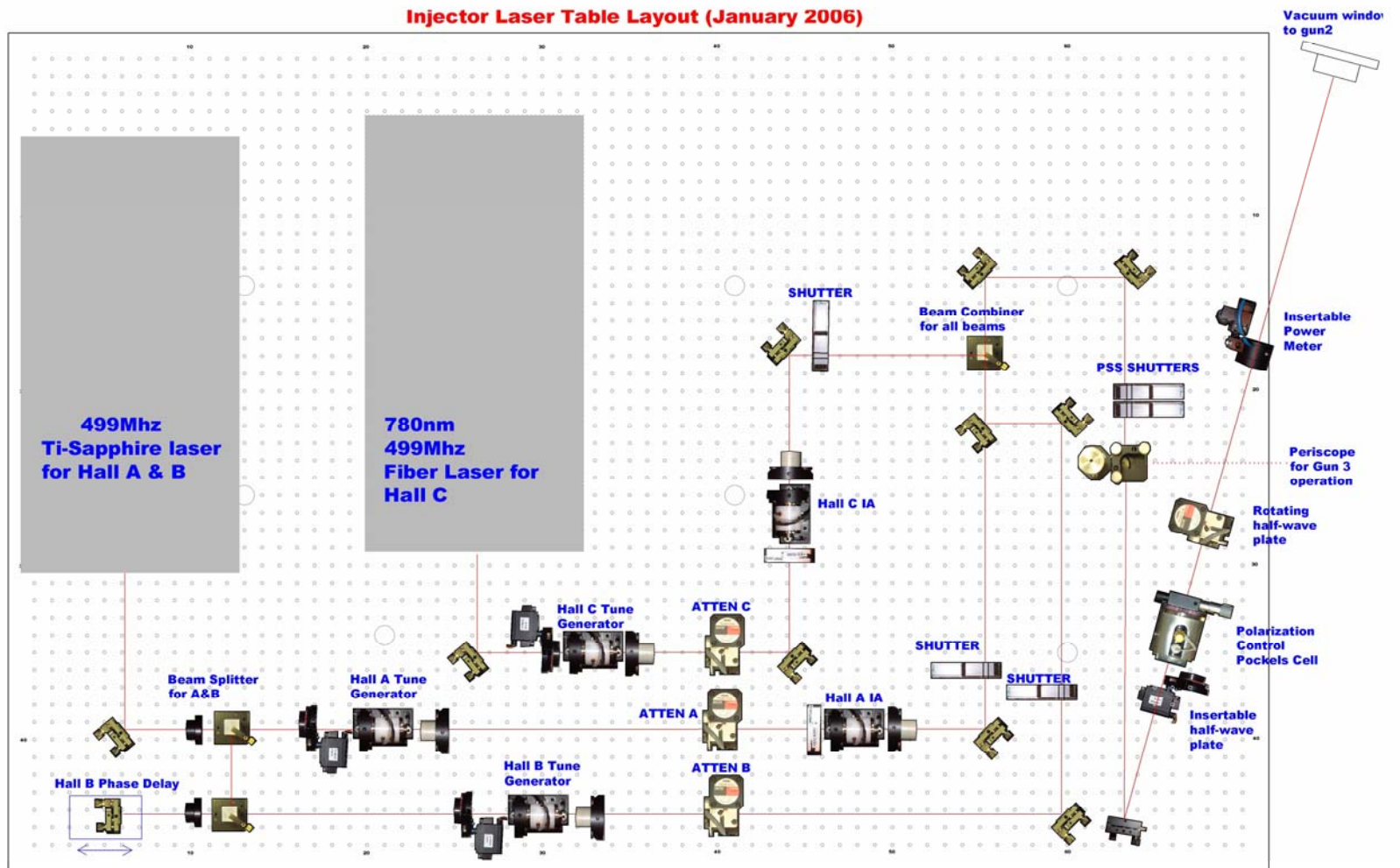
* In a TV, each electron has an energy of about 20,000 eV.

What is a Pockels Cell (PC)?

- Voltage-controlled **birefringent** crystal
- Applied voltage $\Rightarrow$ electric field $\Rightarrow$ 2 orthogonal rays of light with different velocities $\Rightarrow$ retards phase of 1 component $\Rightarrow$ changes polarization of emerging beam
- Converts linearly polarized light into circularly polarized light (acts as a $\frac{1}{4}$ wave plate)



Injector Laser Table Layout (January 2006)



Pockels Cell Installation

September 12, 2006

- What did we accomplish?
 - Characterized Intensity Asymmetry (IA) Cell:
 $\lambda/4$, 16°
 - Measured dependence of intensity asymmetry on voltage : 22.27 ppm/V
 - Aligned Pockels Cell (PC)
 - Degree of linear polarization = 3.62%
 - Degree of circular polarization = 99.93%
 - Minimized x and y position differences.

Pockels Cell Installation

September 12, 2006

Steering (LP OUT)	IHWP IN	IHWP OUT	Goal
Δx	$0.0023 \pm 0.032 \mu\text{m}$	$-0.064 \pm 0.023 \mu\text{m}$	$< 0.1 \mu\text{m}$
Δy	$0.24 \pm 0.030 \mu\text{m}$	$-0.24 \pm 0.020 \mu\text{m}$	$< 0.1 \mu\text{m}$
Δcharge	$6.35 \pm 3.41 \text{ ppm}$	$-8.13 \pm 3.72 \text{ ppm}$	

Birefringence (LP IN)	IHWP IN	IHWP OUT	Goal
Δx	$-11.04 \pm 0.021 \mu\text{m}$	$8.22 \pm 0.016 \mu\text{m}$	$< 6 \mu\text{m}$
Δy	$1.868 \pm 0.013 \mu\text{m}$	$2.06 \pm 0.013 \mu\text{m}$	$< 6 \mu\text{m}$
Δcharge	$-2169 \pm 89 \text{ ppm}$	$3601 \pm 86 \text{ ppm}$	

Electrical Pickup	PC OFF
Δx	$-0.003636 \pm 0.004735 \mu\text{m}$
Δy	$-0.001241 \pm 0.003138 \mu\text{m}$
Δcharge	$0.9439 \pm 0.9773 \text{ ppm}$

w/ photocathode
3X larger in
injector

w/ photocathode
20X smaller in
injector

Injector	1102
Δx	$< 0.3 \mu\text{m}$
Δy	$< 0.3 \mu\text{m}$
Δcharge	

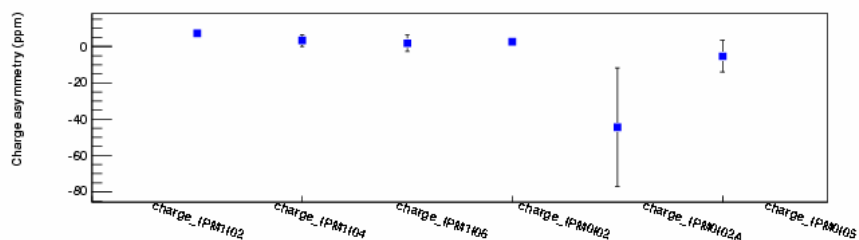
Electron Beam Studies

September 14, 2006

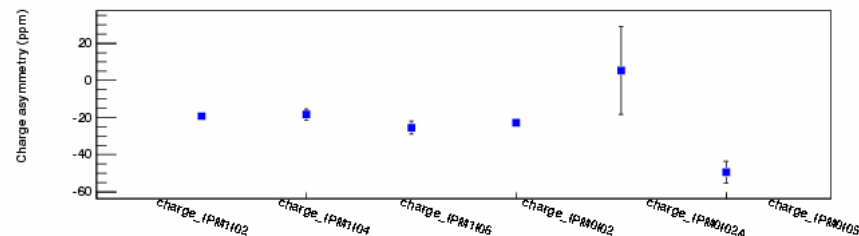
IHWP = OUT
RHWP = 0°
-10 ppm/V

IHWP = IN
RHWP = 0°
-11 ppm/V

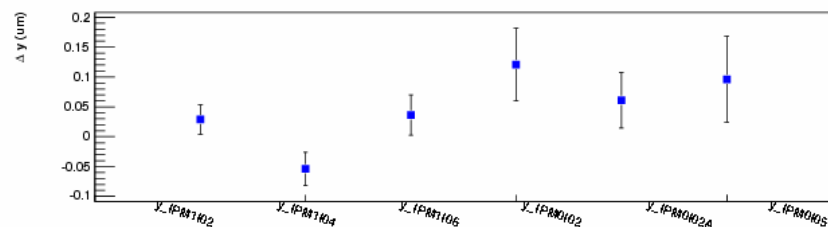
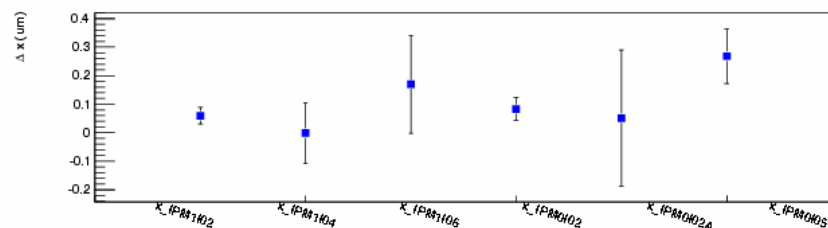
Transmission of Charge Asymmetry, Run 30909



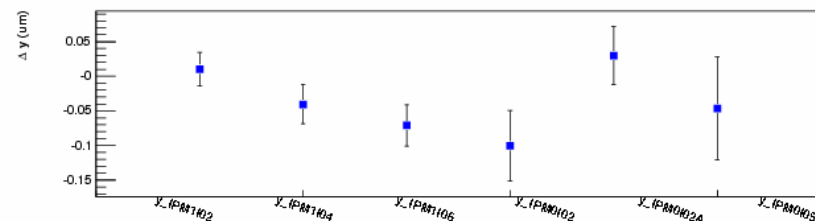
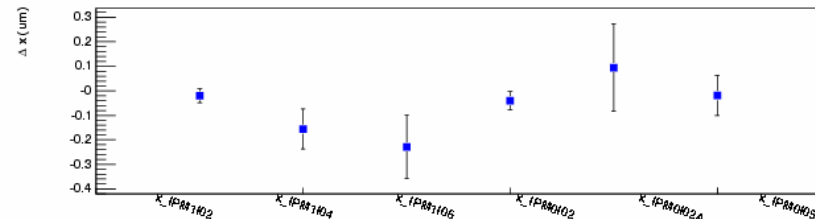
Transmission of Charge Asymmetry, Run 30912



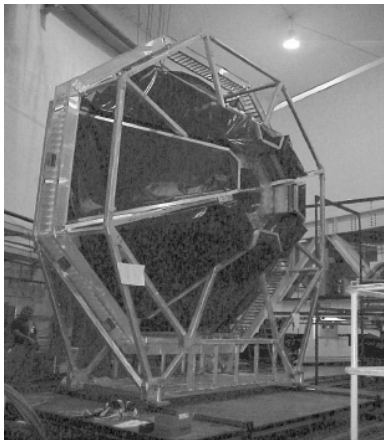
Transmission of X and Y Position Differences, Run 30909

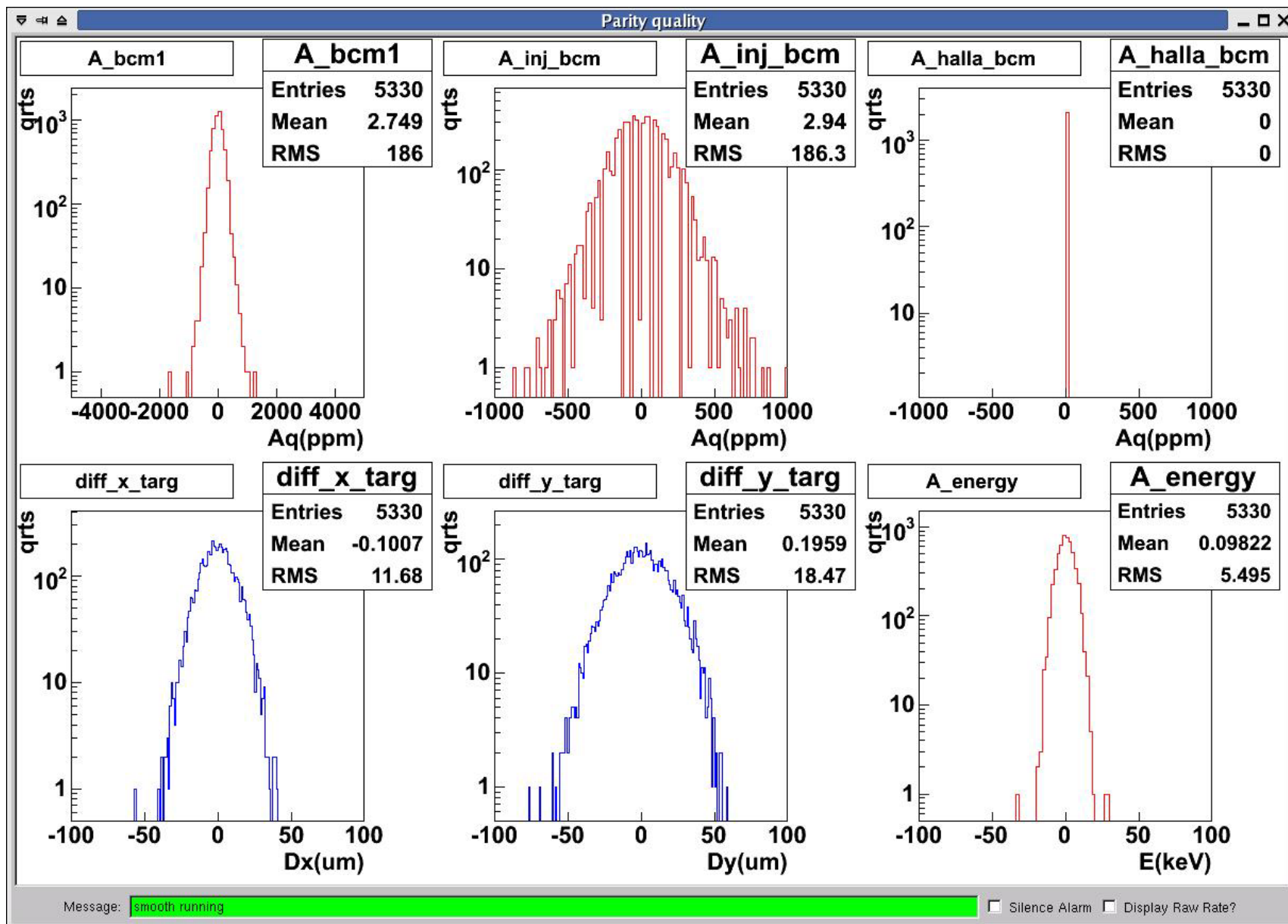


Transmission of X and Y Position Differences, Run 30912

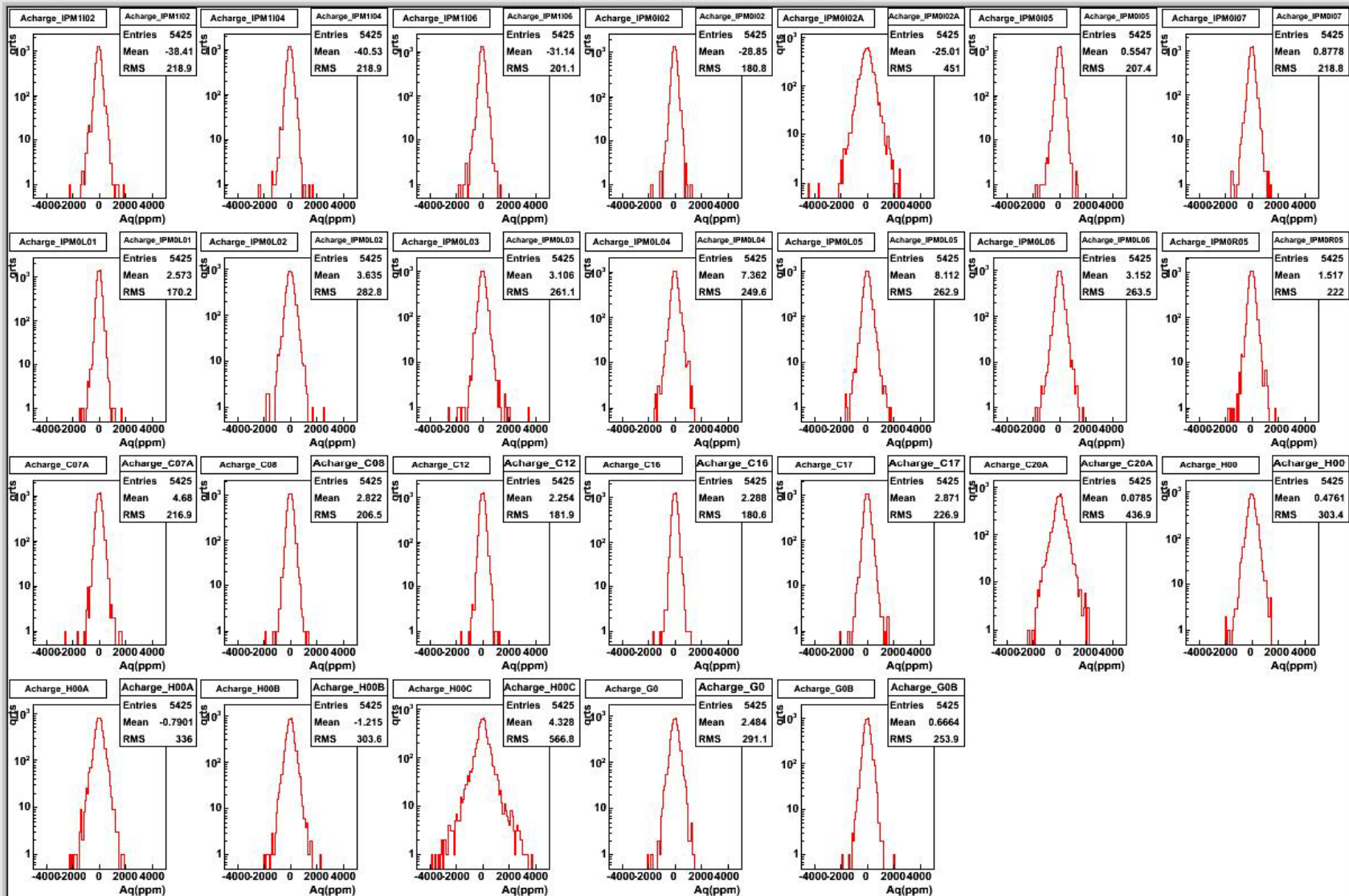


Detectors





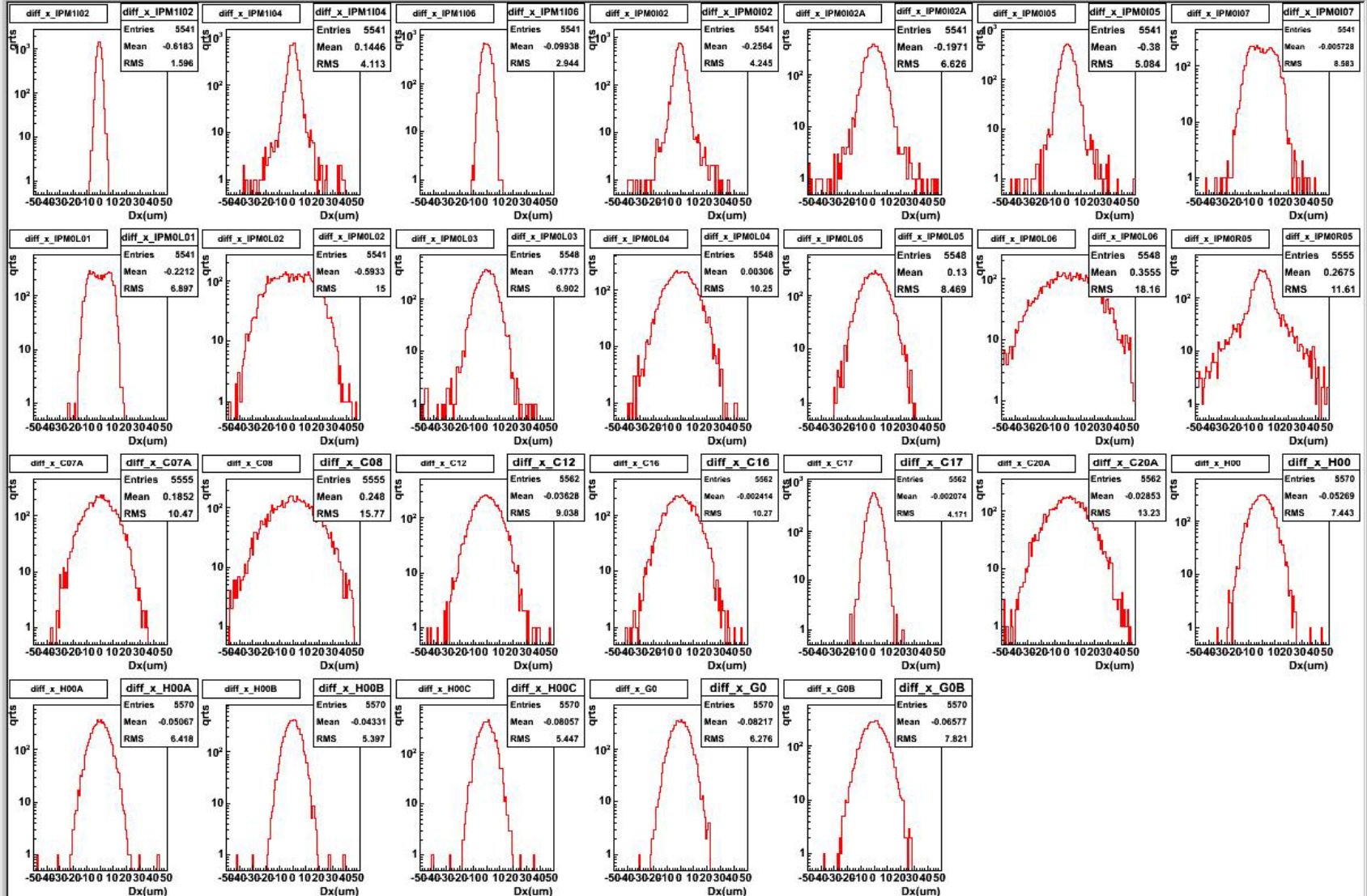
Charge Asymmetry from BPM 4-wire sum



Message: smooth running

☐ Silence Alarm ☐ Display Raw Rate

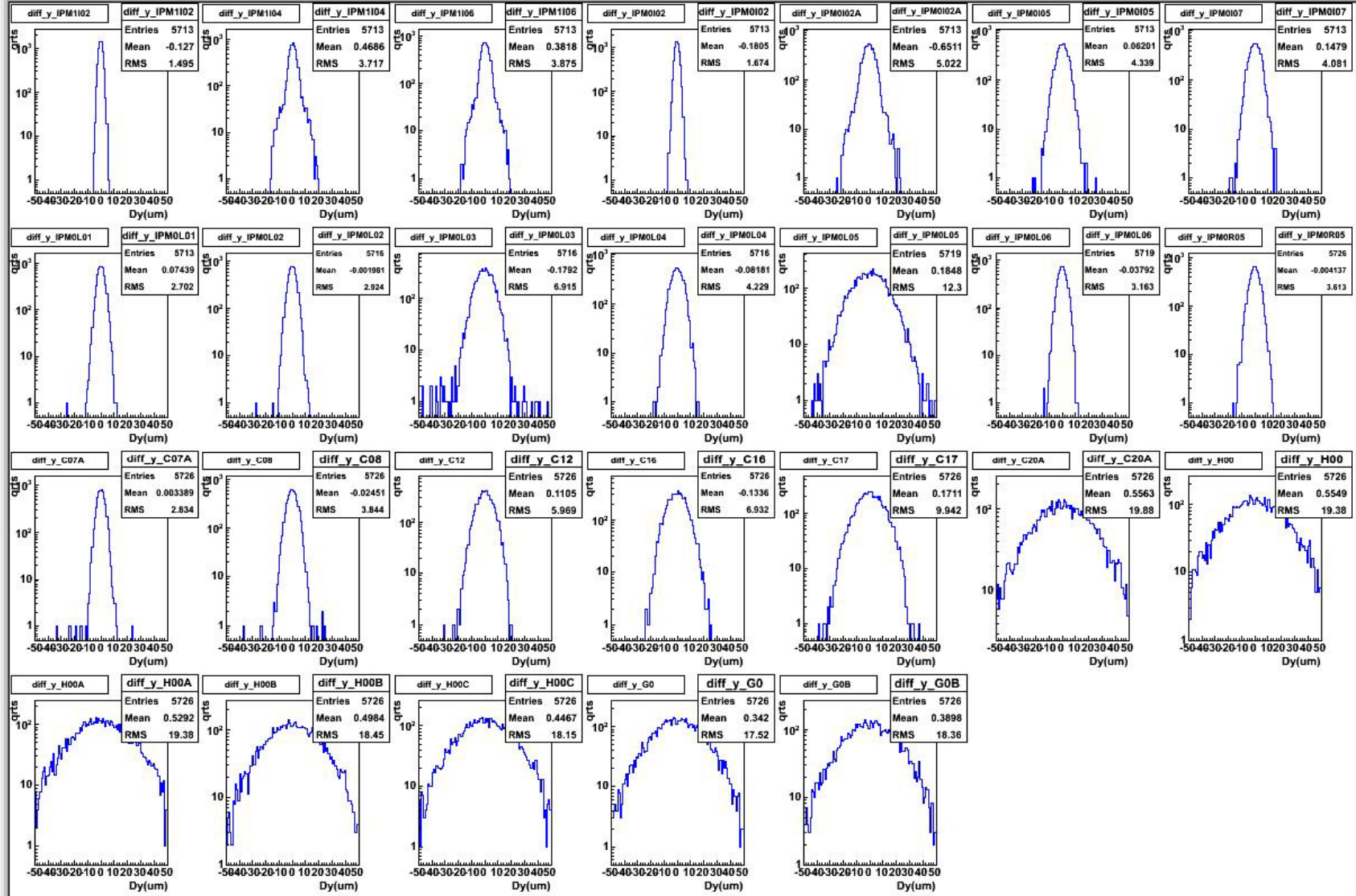
X Difference (um)



Message: smooth running

☐ Silence Alarm ☐ Display Raw Rate

Y Difference (um)



Message: smooth running

☐ Silence Alarm ☐ Display Raw Rate

